## Name that Test! (or Interval)

1. The anterior cruciate ligament (ACL) is one of the ligaments that help stabilize the knee. Surgery is often recommended if the ACL is completely torn, and recovery time from the surgery can be lengthy. A medical center developed a new surgical procedure designed to reduce the average recovery time from the surgery. To test the effectiveness of the new procedure, a study was conducted in which 210 patients needing surgery to repair a torn ACL were randomly assigned to receive either the standard procedure or the new procedure.
(a) Based on the design of the study, would a statistically significant result allow the medical center to conclude that the new procedure causes a reduction in recovery time compared to the standard procedure, for patients similar to those in the study? Explain your answer.
(b) Summary statistics on the recovery times from the surgery are shown in the table.

| Type of <br> Procedure | Sample <br> Size | Mean Recovery Time <br> (days) | Standard Deviation <br> Recovery Time (days) |
| :---: | :---: | :---: | :---: |
| Standard | 110 | 217 | 34 |
| New | 100 | 186 | 29 |

Do the data provide convincing statistical evidence that those who receive the new procedure will have less recovery time from the surgery, on average, than those who receive the standard procedure, for patients similar to those in the study?
2. The manager of a local fast-food restaurant is concerned about customers who ask for a water cup when placing an order but fill the cup with a soft drink from the beverage fountain instead of filling the cup with water. The manager selected a random sample of 80 customers who asked for a water cup when placing an order and found that 23 of those customers filled the cup with a soft drink from the beverage fountain.
(a) Construct and interpret a 95 percent confidence interval for the proportion of all customers who, having asked for a water cup when placing an order, will fill the cup with a soft drink from the beverage fountain.
3. The table and the bar chart below summarize the age at diagnosis, in years, for a random sample of 207 men and women currently being treated for schizophrenia.

| Age-Group (years) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | 20 to 29 | 30 to 39 | 40 to 49 | 50 to 59 | Total |
| Women | 46 | 40 | 21 | 12 | 119 |
| Men | 53 | 23 | 9 | 3 | 88 |
| Total | 99 | 63 | 30 | 15 | 207 |



Do the data provide convincing statistical evidence of an association between age-group and gender in the diagnosis of schizophrenia?
4. A researcher conducted a medical study to investigate whether taking a low-dose aspirin reduces the chance of developing colon cancer. As part of the study, 1,000 adult volunteers were randomly assigned to one of two groups. Half of the volunteers were assigned to the experimental group that took a low-dose aspirin each day, and the other half were assigned to the control group that took a placebo each day. At the end of six years, 15 of the people who took the low-dose aspirin had developed colon cancer and 26 of the people who took the placebo had developed colon cancer. At the significance level $\alpha=0.05$, do the data provide convincing statistical evidence that taking a low-dose aspirin each day would reduce the chance of developing colon cancer among all people similar to the volunteers?

## Name that Test! <br> (or Interval)

5. A polling agency showed the following two statements to a random sample of 1,048 adults in the United States.

Environment statement: Protection of the environment should be given priority over economic growth.
Economy statement: Economic growth should be given priority over protection of the environment.

The order in which the statements were shown was randomly selected for each person in the sample. After reading the statements, each person was asked to choose the statement that was most consistent with his or her opinion. The results are shown in the table.

|  | Environment Statement | Economy Statement | No Preference |
| :--- | :---: | :---: | :---: |
| Percent of sample | $58 \%$ | $37 \%$ | $5 \%$ |

(a) Assume the conditions for inference have been met. Construct and interpret a 95 percent confidence interval for the proportion of all adults in the United States who would have chosen the economy statement.
6. A researcher conducted a study to investigate whether local car dealers tend to charge women more than men for the same car model. Using information from the county tax collector's records, the researcher randomly selected one man and one woman from among everyone who had purchased the same model of an identically equipped car from the same dealer. The process was repeated for a total of 8 randomly selected car models.

The purchase prices and the differences (woman - man) are shown in the table below. Summary statistics are also shown.

| Car model | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |
| :--- | ---: | ---: | ---: | ---: | ---: | :---: | :---: | :---: |
| Women | $\$ 20,100$ | $\$ 17,400$ | $\$ 22,300$ | $\$ 32,500$ | $\$ 17,710$ | $\$ 21,500$ | $\$ 29,600$ | $\$ 46,300$ |
| Men | $\$ 19,580$ | $\$ 17,500$ | $\$ 21,400$ | $\$ 32,300$ | $\$ 17,720$ | $\$ 20,300$ | $\$ 28,300$ | $\$ 45,630$ |
| Difference | $\$ 520$ | $-\$ 100$ | $\$ 900$ | $\$ 200$ | $-\$ 10$ | $\$ 1,200$ | $\$ 1,300$ | $\$ 670$ |


|  | Mean | Standard Deviation |
| :--- | ---: | ---: |
| Women | $\$ 25,926.25$ | $\$ 9,846.61$ |
| Men | $\$ 25,341.25$ | $\$ 9,728.60$ |
| Difference | $\$ 585.00$ | $\$ 530.71$ |

Dotplots of the data and the differences are shown below.


| $\circ$ | $\circ$ | $\circ$ | $\circ$ | $\circ$ |
| :---: | :---: | :---: | :---: | :---: |
| $\$ 0$ | $\$ 500$ | $\$ 1000$ |  |  |
|  |  | Difference in Purchase Price <br> (woman - man, in dollars) |  |  |

Do the data provide convincing evidence that, on average, women pay more than men in the county for the same car model?
7. A survey organization conducted telephone interviews in December 2008 in which 1,009 randomly selected adults in the United States responded to the following question.

At the present time, do you think television commercials are an effective way to promote a new product?

Of the 1,009 adults surveyed, 676 responded "yes." In December 2007, 622 of 1,020 randomly selected adults in the United States had responded "yes" to the same question. Do the data provide convincing evidence that the proportion of adults in the United States who would respond "yes" to the question changed from December 2007 to December 2008 ?
8. An environmental group conducted a study to determine whether crows in a certain region were ingesting food containing unhealthy levels of lead. A biologist classified lead levels greater than 6.0 parts per million (ppm) as unhealthy. The lead levels of a random sample of 23 crows in the region were measured and recorded. The data are shown in the stemplot below.

| Lead Levels |  |
| :---: | :---: |
| 2 | 8 |
| 3 | 0 |
| 3 | 588 |
| 4 | 112 |
| 4 | 688 |
| 5 | 012234 |
| 5 | 99 |
| 6 | 34 |
| 6 | 68 |

$$
\text { Key: } 2 \mid 8=2.8 \mathrm{ppm}
$$

(a) What proportion of crows in the sample had lead levels that are classified by the biologist as unhealthy?
(b) The mean lead level of the 23 crows in the sample was 4.90 ppm and the standard deviation was 1.12 ppm . Construct and interpret a 95 percent confidence interval for the mean lead level of crows in the region.
9. Windmills generate electricity by transferring energy from wind to a turbine. A study was conducted to examine the relationship between wind velocity in miles per hour ( mph ) and electricity production in amperes for one particular windmill. For the windmill, measurements were taken on twenty-five randomly selected days, and the computer output for the regression analysis for predicting electricity production based on wind velocity is given below. The regression model assumptions were checked and determined to be reasonable over the interval of wind speeds represented in the data, which were from 10 miles per hour to 40 miles per hour.

| Predictor | Coef | SE Coef | T | P |
| :--- | :---: | :---: | :---: | :---: |
| Constant | 0.137 | 0.126 | 1.09 | 0.289 |
| Wind velocity | 0.240 | 0.019 | 12.63 | 0.000 |
|  |  |  |  |  |
| S $=0.237$ | R-Sq $=0.873$ | R-Sq (adj) $=0.868$ |  |  |

(d) Is there statistically convincing evidence that electricity production by the windmill is related to wind velocity? Explain.
10. Two treatments, A and B, showed promise for treating a potentially fatal disease. A randomized experiment was conducted to determine whether there is a significant difference in the survival rate between patients who receive treatment A and those who receive treatment B. Of 154 patients who received treatment A, 38 survived for at least 15 years, whereas 16 of the 164 patients who received treatment B survived at least 15 years.
(b) The conditions for inference have been met. Construct and interpret a 95 percent confidence interval for the difference between the proportion of the population who would survive at least 15 years if given treatment A and the proportion of the population who would survive at least 15 years if given treatment B.

## Name that Test! (or Interval)

1. During a flu vaccine shortage in the United States, it was believed that 45 percent of vaccine-eligible people received flu vaccine. The results of a survey given to a random sample of 2,350 vaccine-eligible people indicated that 978 of the 2,350 people had received flu vaccine.
(a) Construct a 99 percent confidence interval for the proportion of vaccine-eligible people who had received flu vaccine. Use your confidence interval to comment on the belief that 45 percent of the vaccine-eligible people had received flu vaccine.
2. Product advertisers studied the effects of television ads on children's choices for two new snacks. The advertisers used two 30 -second television ads in an experiment. One ad was for a new sugary snack called Choco-Zuties, and the other ad was for a new healthy snack called Apple-Zuties.
For the experiment, 75 children were randomly assigned to one of three groups, A, B, or C. Each child individually watched a 30 -minute television program that was interrupted for 5 minutes of advertising. The advertising was the same for each group with the following exceptions.

- The advertising for group A included the Choco-Zuties ad but not the Apple-Zuties ad.
- The advertising for group B included the Apple-Zuties ad but not the Choco-Zuties ad.
- The advertising for group C included neither the Choco-Zuties ad nor the Apple-Zuties ad.

After the program, the children were offered a choice between the two snacks. The table below summarizes their choices.

| Group | Type of Ad | Number Who Chose <br> Choco-Zuties | Number Who Chose <br> Apple-Zuties |
| :---: | :---: | :---: | :---: |
| A | Choco-Zuties only | 21 | 4 |
| B | Apple-Zuties only | 13 | 12 |
| C | Neither | 22 | 3 |

(a) Do the data provide convincing statistical evidence that there is an association between type of ad and children's choice of snack among all children similar to those who participated in the experiment?
3. High cholesterol levels in people can be reduced by exercise, diet, and medication. Twenty middle-aged males with cholesterol readings between 220 and 240 milligrams per deciliter ( $\mathrm{mg} / \mathrm{dL}$ ) of blood were randomly selected from the population of such male patients at a large local hospital. Ten of the 20 males were randomly assigned to group A, advised on appropriate exercise and diet, and also received a placebo. The other 10 males were assigned to group B, received the same advice on appropriate exercise and diet, but received a drug intended to reduce cholesterol instead of a placebo. After three months, posttreatment cholesterol readings were taken for all 20 males and compared to pretreatment cholesterol readings. The tables below give the reduction in cholesterol level (pretreatment reading minus posttreatment reading) for each male in the study.
Group A (placebo)

| Reduction (in mg/dL) | 2 | 19 | 8 | 4 | 12 | 8 | 17 | 7 | 24 | 1 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |

Mean Reduction: 10.20 Standard Deviation of Reductions: 7.66
Group B (cholesterol drug)

| Reduction (in mg/dL) | 30 | 19 | 18 | 17 | 20 | -4 | 23 | 10 | 9 | 22 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

Mean Reduction: 16.40 Standard Deviation of Reductions: 9.40
Do the data provide convincing evidence, at the $\alpha=0.01$ level, that the cholesterol drug is effective in producing a reduction in mean cholesterol level beyond that produced by exercise and diet?
4. A French study was conducted in the 1990s to compare the effectiveness of using an instrument called a cardiopump with the effectiveness of using traditional cardiopulmonary resuscitation (CPR) in saving lives of heart attack victims. Heart attack patients in participating cities were treated with either a cardiopump or CPR, depending on whether the individual's heart attack occurred on an even-numbered or an odd-numbered day of the month. Before the start of the study, a coin was tossed to determine which treatment, a cardiopump or CPR, was given on the even-numbered days. The other treatment was given on the odd-numbered days. In total, 754 patients were treated with a cardiopump, and 37 survived at least one year; while 746 patients were treated with CPR, and 15 survived at least one year.
(a) The conditions for inference are satisfied in the study. State the conditions and indicate how they are satisfied.
(b) Perform a statistical test to determine whether the survival rate for patients treated with a cardiopump is significantly higher than the survival rate for patients treated with CPR.

## Name that Test! <br> (or Interval)

5. A bottle-filling machine is set to dispense 12.1 fluid ounces into juice bottles. To ensure that the machine is filling accurately, every hour a worker randomly selects four bottles filled by the machine during the past hour and measures the contents. If there is convincing evidence that the mean amount of juice dispensed is different from 12.1 ounces or if there is convincing evidence that the standard deviation is greater than 0.05 ounce, the machine is shut down for recalibration. It can be assumed that the amount of juice that is dispensed into bottles is normally distributed.

During one hour, the mean number of fluid ounces of four randomly selected bottles was 12.05 and the standard deviation was 0.085 ounce.
(a) Perform a test of significance to determine whether the mean amount of juice dispensed is different from 12.1 fluid ounces. Assume the conditions for inference are met.
6. One of the two fire stations in a certain town responds to calls in the northern half of the town, and the other fire station responds to calls in the southern half of the town. One of the town council members believes that the two fire stations have different mean response times. Response time is measured by the difference between the time an emergency call comes into the fire station and the time the first fire truck arrives at the scene of the fire.
Data were collected to investigate whether the council member's belief is correct. A random sample of 50 calls selected from the northern fire station had a mean response time of 4.3 minutes with a standard deviation of 3.7 minutes. A random sample of 50 calls selected from the southern fire station had a mean response time of 5.3 minutes with a standard deviation of 3.2 minutes.
(a) Construct and interpret a 95 percent confidence interval for the difference in mean response times between the two fire stations.
(b) Does the confidence interval in part (a) support the council member's belief that the two fire stations have different mean response times? Explain.
7. A study was conducted to determine where moose are found in a region containing a large burned area. A map of the study area was partitioned into the following four habitat types.
(1) Inside the burned area, not near the edge of the burned area,
(2) Inside the burned area, near the edge,
(3) Outside the burned area, near the edge, and
(4) Outside the burned area, not near the edge.

The figure below shows these four habitat types.


Note: Figure not drawn to scale.

The proportion of total acreage in each of the habitat types was determined for the study area. Using an aerial survey, moose locations were observed and classified into one of the four habitat types. The results are given in the table below.

| Habitat Type | Proportion of Total Acreage | Number of Moose <br> Observed |
| :---: | :---: | :---: |
| 1 | 0.340 | 25 |
| 2 | 0.101 | 22 |
| 3 | 0.104 | 30 |
| 4 | 0.455 | 40 |
| Total | 1.000 | 117 |

(a) The researchers who are conducting the study expect the number of moose observed in a habitat type to be proportional to the amount of acreage of that type of habitat. Are the data consistent with this expectation? Conduct an appropriate statistical test to support your conclusion. Assume the conditions for inference are met.
(b) Relative to the proportion of total acreage, which habitat types did the moose seem to prefer? Explain.
8. Investigators at the U.S. Department of Agriculture wished to compare methods of determining the level of $E$. coli bacteria contamination in beef. Two different methods (A and B) of determining the level of contamination were used on each of ten randomly selected specimens of a certain type of beef. The data obtained, in millimicrobes/liter of ground beef, for each of the methods are shown in the table below.


Is there a significant difference in the mean amount of $E$. coli bacteria detected by the two methods for this type of beef? Provide a statistical justification to support your answer.
9. John believes that as he increases his walking speed, his pulse rate will increase. He wants to model this relationship. John records his pulse rate, in beats per minute (bpm), while walking at each of seven different speeds, in miles per hour (mph). A scatterplot and regression output are shown below.


(c) John wants to provide a 98 percent confidence interval for the slope parameter in his final report. Compute the margin of error that John should use. Assume that conditions for inference are satisfied.
10. A researcher believes that treating seeds with certain additives before planting can enhance the growth of plants. An experiment to investigate this is conducted in a greenhouse. From a large number of Roma tomato seeds, 24 seeds are randomly chosen and 2 are assigned to each of 12 containers. One of the 2 seeds is randomly selected and treated with the additive. The other seed serves as a control. Both seeds are then planted in the same container. The growth, in centimeters, of each of the 24 plants is measured after 30 days. These data were used to generate the partial computer output shown below. Graphical displays indicate that the assumption of normality is not unreasonable.

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Control | N | Mean | StDev | SE Mean |
| Treatment | 12 | 15.989 | 1.098 | 0.317 |
| Difference | 12 | 18.004 | 1.175 | 0.339 |

(a) Construct a confidence interval for the mean difference in growth, in centimeters, of the plants from the untreated and treated seeds. Be sure to interpret this interval.
(b) Based only on the confidence interval in part (a), is there sufficient evidence to conclude that there is a significant mean difference in growth of the plants from untreated seeds and the plants from treated seeds? Justify your conclusion.

## Name that Test! (or Interval)

1. A large university provides housing for 10 percent of its graduate students to live on campus. The university's housing office thinks that the percentage of graduate students looking for housing on campus may be more than 10 percent. The housing office decides to survey a random sample of graduate students, and 62 of the 481 respondents say that they are looking for housing on campus.
(a) On the basis of the survey data, would you recommend that the housing office consider increasing the amount of housing on campus available to graduate students? Give appropriate evidence to support your recommendation.
2. The Colorado Rocky Mountain Rescue Service wishes to study the behavior of lost hikers. If more were known about the direction in which lost hikers tend to walk, then more effective search strategies could be devised. Two hundred hikers selected at random from those applying for hiking permits are asked whether they would head uphill, downhill, or remain in the same place if they became lost while hiking. Each hiker in the sample was also classified according to whether he or she was an experienced or novice hiker. The resulting data are summarized in the following table.

|  | Direction |  |  |
| :--- | :---: | :---: | :---: |
|  | Uphill | Downhill | Remain in Same Place |
| Novice | 20 | 50 | 50 |
| Experienced | 10 | 30 | 40 |

Do these data provide convincing evidence of an association between the level of hiking expertise and the direction the hiker would head if lost?

Give appropriate statistical evidence to support your conclusion.
3. Baby walkers are seats hanging from frames that allow babies to sit upright with their legs dangling and feet touching the floor. Walkers have wheels on their legs that allow the infant to propel the walker around the house long before he or she can walk or even crawl. Typically, babies use walkers between the ages of 4 months and 11 months.
Because most walkers have tray tables in front that block babies' views of their feet, child psychologists have begun to question whether walkers affect infants' cognitive development. One study compared mental skills of a random sample of those who used walkers with a random sample of those who never used walkers. Mental skill scores averaged 113 for 54 babies who used walkers (standard deviation of 12) and 123 for 55 babies who did not use walkers (standard deviation of 15).
(a) Is there evidence that the mean mental skill score of babies who use walkers is different from the mean mental skill score of babies who do not use walkers? Explain your answer.
4. A growing number of employers are trying to hold down the costs that they pay for medical insurance for their employees. As part of this effort, many medical insurance companies are now requiring clients to use generic brand medicines when filling prescriptions. An independent consumer advocacy group wanted to determine if there was a difference, in milligrams, in the amount of active ingredient between a certain "name" brand drug and its generic counterpart. Pharmacies may store drugs under different conditions. Therefore, the consumer group randomly selected ten different pharmacies in a large city and filled two prescriptions at each of these pharmacies, one for the "name" brand and the other for the generic brand of the drug. The consumer group's laboratory then tested a randomly selected pill from each prescription to determine the amount of active ingredient in the pill. The results are given in the following table.

## ACTIVE INGREDIENT

(in milligrams)

| Pharmacy | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name brand | 245 | 244 | 240 | 250 | 243 | 246 | 246 | 246 | 247 | 250 |
| Generic brand | 246 | 240 | 235 | 237 | 243 | 239 | 241 | 238 | 238 | 234 |

Based on these results, what should the consumer group's laboratory report about the difference in the active ingredient in the two brands of pills? Give appropriate statistical evidence to support your response.

| Predictor | Coef | StDev | T | P |
| :--- | :---: | :---: | :---: | :---: |
| Constant | 23.514 | 1.684 | 13.95 | 0.000 |
| GPA | -2.7555 | 0.4668 | -5.90 | 0.000 |
| S $=0.5658$ |  | R-Sq $=76.0 \%$ |  |  |

(b) For the students who successfully completed the Ph.D. program, is there a significant relationship between GPA and mean number of credit hours per semester?

Give a statistical justification to support your response.
6. Each person in a random sample of 1,026 adults in the United States was asked the following question.
"Based on what you know about the Social Security system today, what would you like Congress and the President to do during this next year?"

The response choices and the percentages selecting them are shown below.

| Completely overhaul the system | $19 \%$ |
| :--- | ---: |
| Make some major changes | $39 \%$ |
| Make some minor adjustments | $30 \%$ |
| Leave the system the way it is now | $11 \%$ |
| No opinion | $1 \%$ |

(a) Find a $95 \%$ confidence interval for the proportion of all United States adults who would respond "Make some major changes" to the question. Give an interpretation of the confidence interval and give an interpretation of the confidence level.


Contestants on a game show spin a wheel like the one shown in the figure above. Each of the four outcomes on this wheel is equally likely and outcomes are independent from one spin to the next.

- The contestant spins the wheel.
- If the result is a skunk, no money is won and the contestant's turn is finished.
- If the result is a number, the corresponding amount in dollars is won. The contestant can then stop with those winnings or can choose to spin again, and his or her turn continues.
- If the contestant spins again and the result is a skunk, all of the money earned on that turn is lost and the turn ends.
- The contestant may continue adding to his or her winnings until he or she chooses to stop or until a spin results in a skunk.
(c) A contestant who lost at this game alleges that the wheel is not fair. In order to check on the fairness of the wheel, the data in the table below were collected for 100 spins of this wheel.

| Result | Skunk | $\$ 100$ | $\$ 200$ | $\$ 500$ |
| :---: | :---: | :---: | :---: | :---: |
| Frequency | 33 | 21 | 20 | 26 |

Based on these data, can you conclude that the four outcomes on this wheel are not equally likely? Give appropriate statistical evidence to support your answer.
8. The principal at Crest Middle School, which enrolls only sixth-grade students and seventh-grade students, is interested in determining how much time students at that school spend on homework each night. The table below shows the mean and standard deviation of the amount of time spent on homework each night (in minutes) for a random sample of 20 sixth-grade students and a separate random sample of 20 seventh-grade students at this school.

|  | Mean | Standard <br> Deviation |
| :---: | :---: | :---: |
| Sixth-grade <br> students | 27.3 | 10.8 |
| Seventh-grade <br> students | 47.0 | 12.4 |

Based on dotplots of these data, it is not unreasonable to assume that the distribution of times for each grade were approximately normally distributed.
(a) Estimate the difference in mean times spent on homework for all sixth- and seventh-grade students in this school using an interval. Be sure to interpret your interval.
9. In order to monitor the populations of birds of a particular species on two islands, the following procedure was implemented.
Researchers captured an initial sample of 200 birds of the species on Island A; they attached leg bands to each of the birds, and then released the birds. Similarly, a sample of 250 birds of the same species on Island B was captured, banded, and released. Sufficient time was allowed for the birds to return to their normal routine and location.

Subsequent samples of birds of the species of interest were then taken from each island. The number of birds captured and the number of birds with leg bands were recorded. The results are summarized in the following table.

|  | Island <br> A | Island <br> B |
| :--- | :---: | :---: |
| Number Captured in <br> Subsequent Sample | 180 | 220 |
| Number with Leg Bands in <br> Subsequent Sample | 12 | 35 |

Assume that both the initial sample and the subsequent samples that were taken on each island can be regarded as random samples from the population of birds of this species.
(a) Do the data from the subsequent samples indicate that there is a difference in proportions of the banded birds on these two islands? Give statistical evidence to support your answer.
10. Some boxes of a certain brand of breakfast cereal include a voucher for a free video rental inside the box. The company that makes the cereal claims that a voucher can be found in 20 percent of the boxes. However, based on their experiences eating this cereal at home, a group of students believes that the proportion of boxes with vouchers is less than 0.2 . This group of students purchased 65 boxes of the cereal to investigate the company's claim. The students found a total of 11 vouchers for free video rentals in the 65 boxes.

Suppose it is reasonable to assume that the 65 boxes purchased by the students are a random sample of all boxes of this cereal. Based on this sample, is there support for the students' belief that the proportion of boxes with vouchers is less than 0.2 ? Provide statistical evidence to support your answer.

